

Are neutrinos their own anti-particle?(are they Majorana or Dirac?)

$0\nu\beta\beta$ (next generation)

Yes

No

DEGENERACY

between **DARK ENERGY** and **NEUTRINO NUMBER**

$\Sigma < 0.1\text{eV}$

$0.1\text{eV} < \Sigma < 0.15\text{eV}$

$0.15\text{eV} < \Sigma < 0.25\text{eV}$

Seokcheon Lee (KIAS)

$\Sigma > 0.25\text{eV}$

@ The 4th KIAS Workshop
on Particle Physics and Cosmology

Normal

Inverted

Degenerate

Oct. 31. 2014

known

Dirac

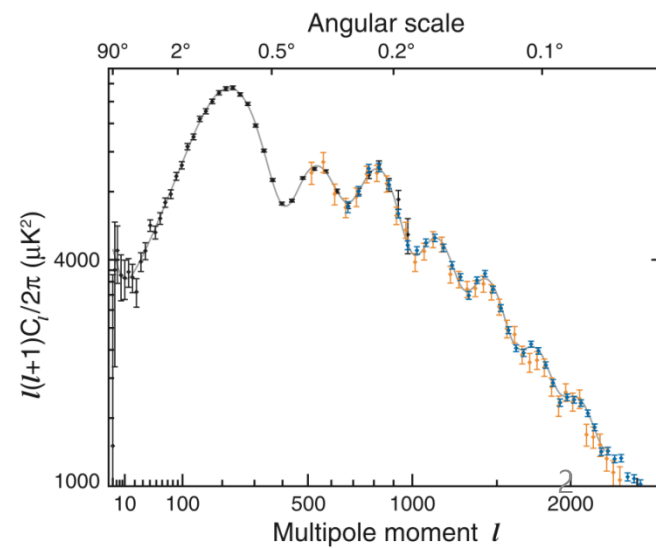
unknown



OUTLINE



- Motivation
- Current bounds on Neutrino mass and bound
- Cosmological observable
- Consistency of observable
- Degeneracy of CMB angular power spectrum between N_{eff} and w
- Breaking CMB degeneracy with LSS
- CMB degeneracy between w and h
- CMB degeneracy between N_{eff} and h

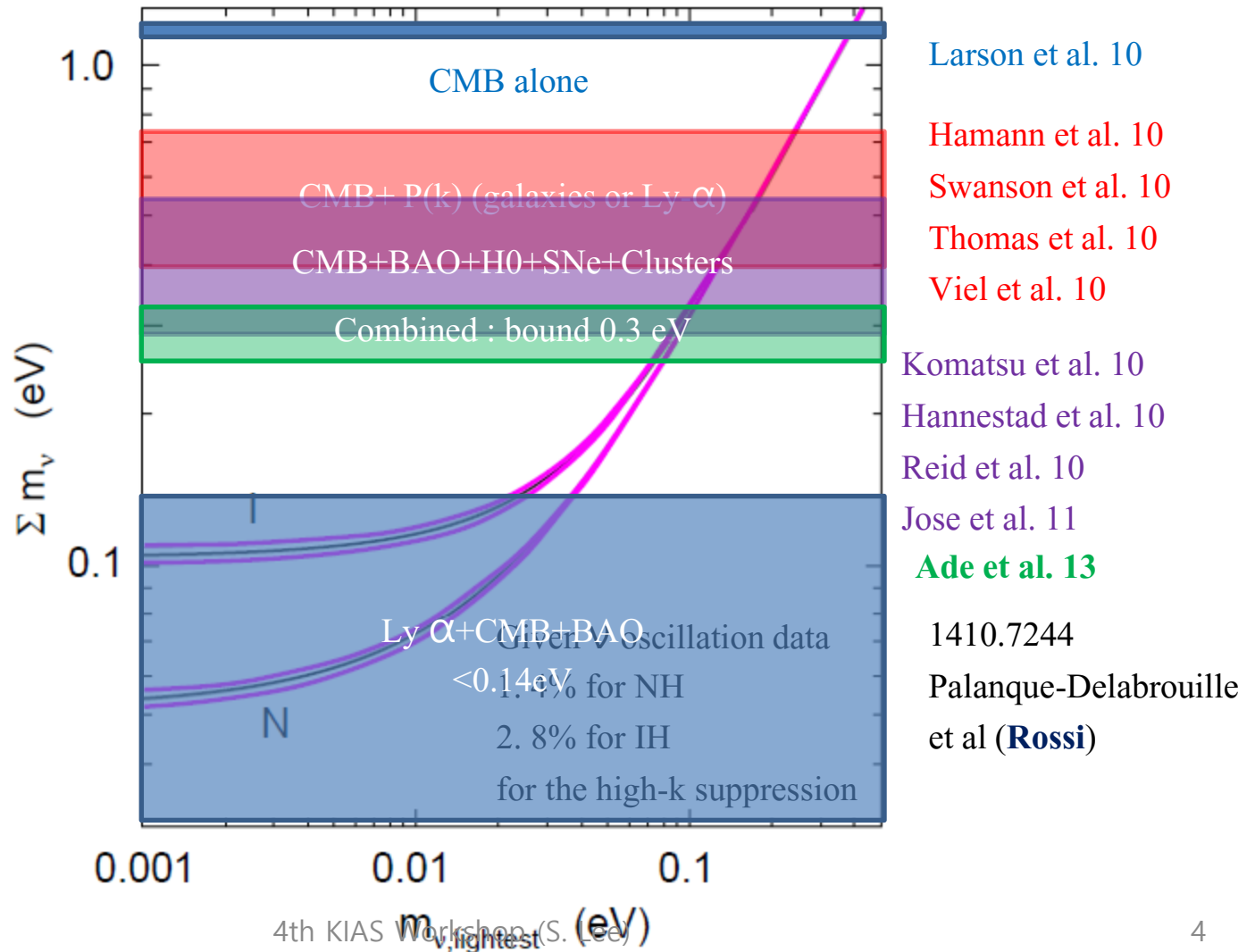


MOTIVATION

- particle physics (oscillation) < Σm_ν < cosmology
(CMB+BAO+LSS) Distance Perturbation
- $\Sigma m_\nu > 0.06$ eV (active) : solar, atmospheric, reactor, and accelerator neutrino data with $N_\nu = 3$ (Battye et al. 13),
not much room to change
- $\Sigma m_\nu < 0.248$ eV (active) with $N_\nu = 3$ or $m_{\nu, \text{sterile}} < 0.42$ eV with $N_{\text{eff}} < 3.80$: Planck + WMAP Pol + BAO (Ade et al. 13) , keep decreasing (good news?)

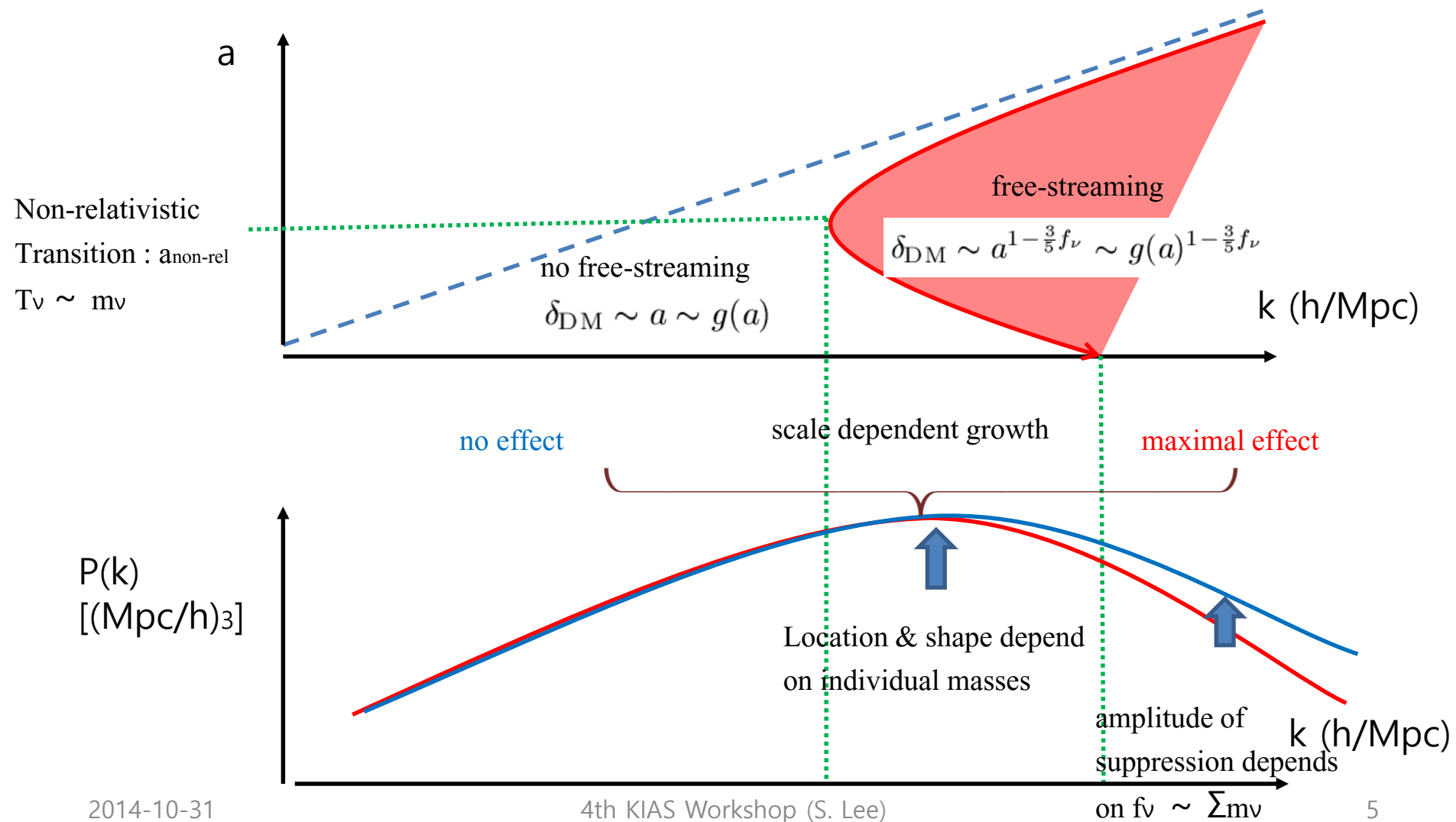
NEUTRINO MASSES

(CURRENT LIMITS 2- σ , Λ CDM+ m_ν)

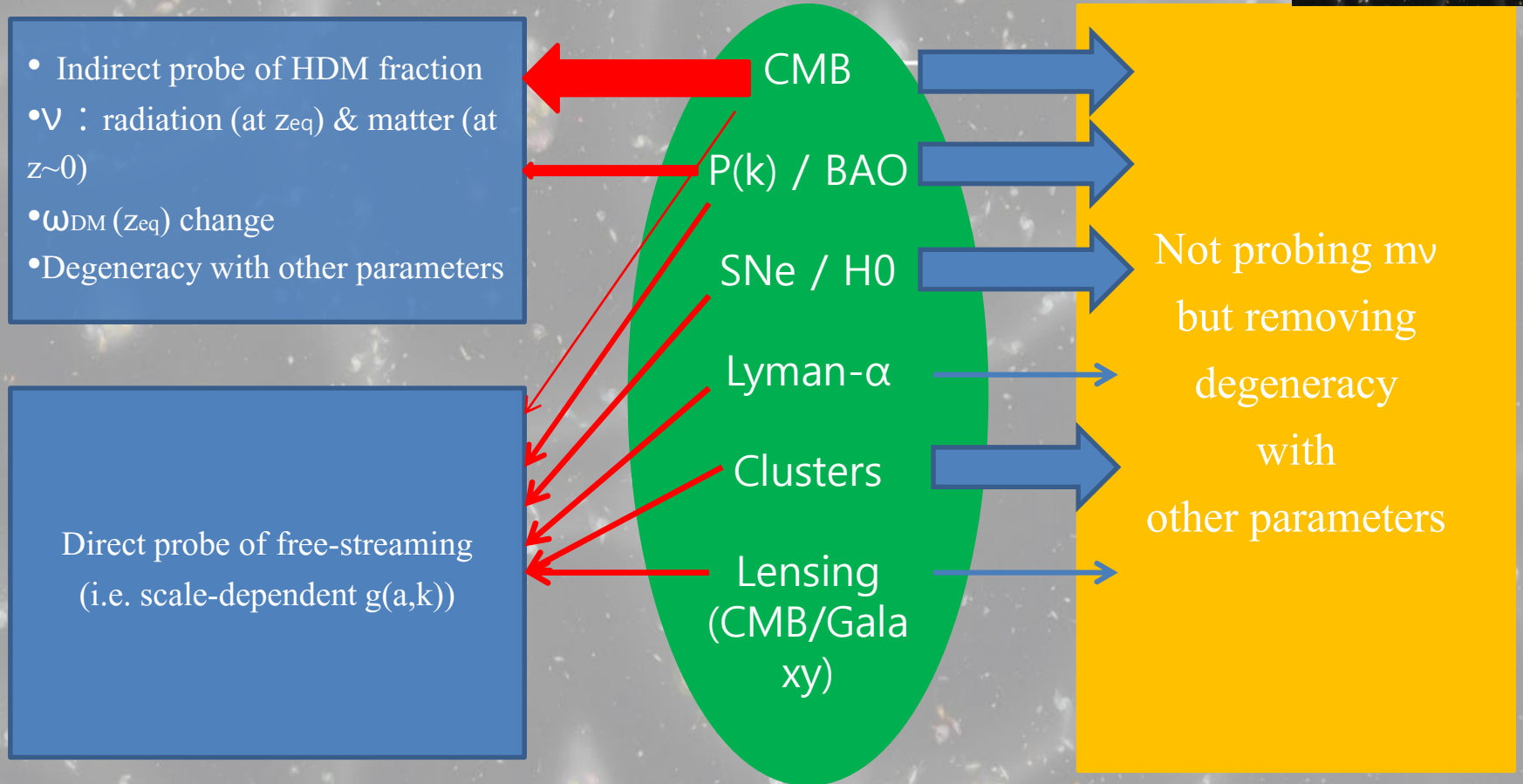


MASSIVE NEUTRINO (STRUCTURE FORMATION)

Refer Talks by
Jeong, Boehm,
Rott, Rossi



COSMOLOGICAL OBSERVATIONS (PROBE FOR m_ν)



ACCURACY of OBSERVATION

(When z , Where k, l , Who Earth, What γ, ν, δ , How Ground, Satellite)

Real Universe

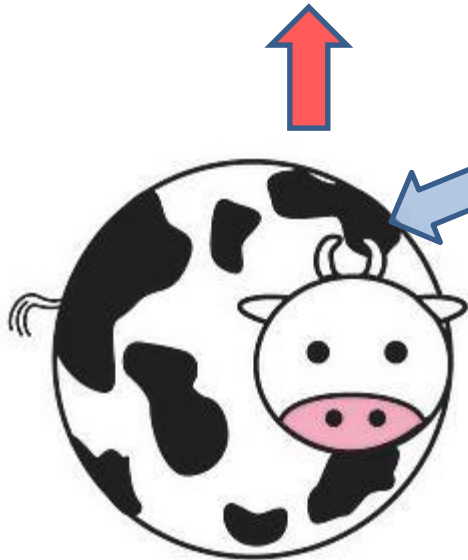


Observed Universe



Refer :
Boehm

Theories can
never be proved,
only disproved.
NOT FAIR?



extra neutrinos
from
CMB & LSS

Modified Gravity
from
SNe



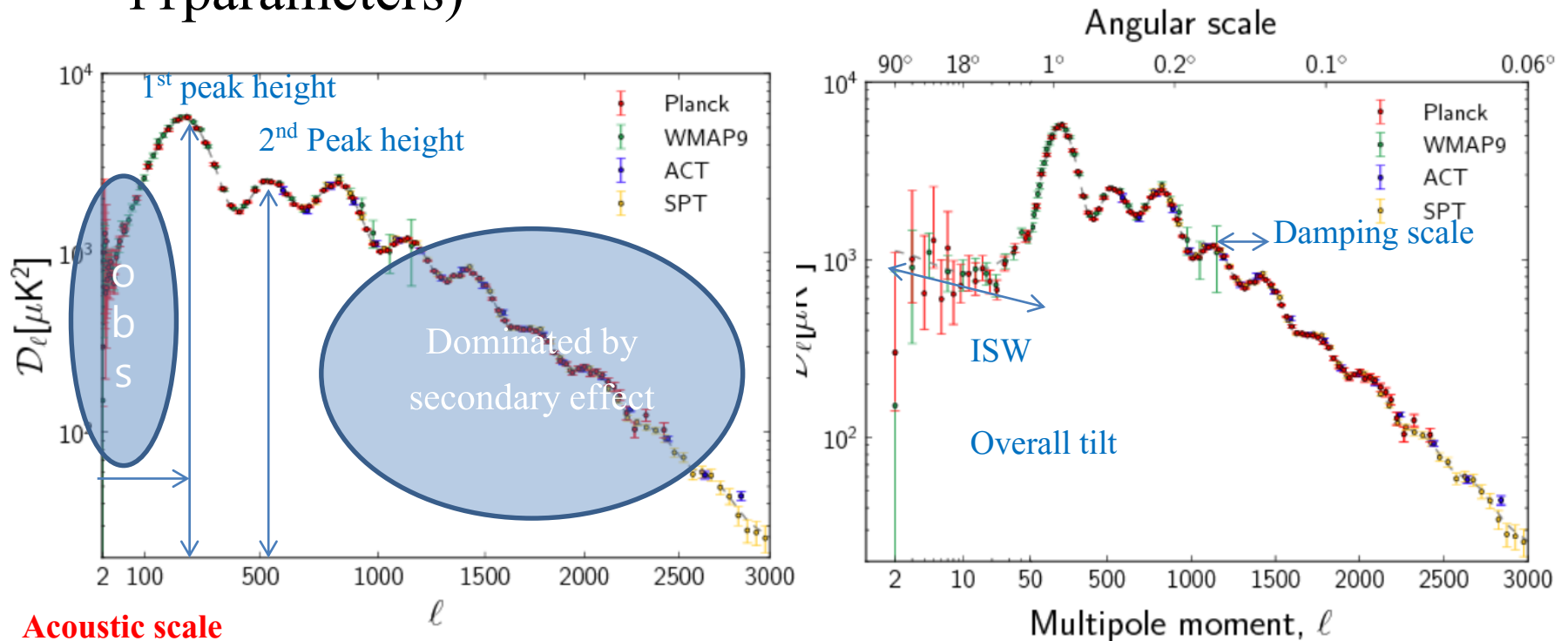
TeVes
from
Rot
Curve

DGP
from
LSS

Obtained Universes

CMB angular power spectrum

- Measuring Temperature fluctuation anisotropies (at least 11 parameters)



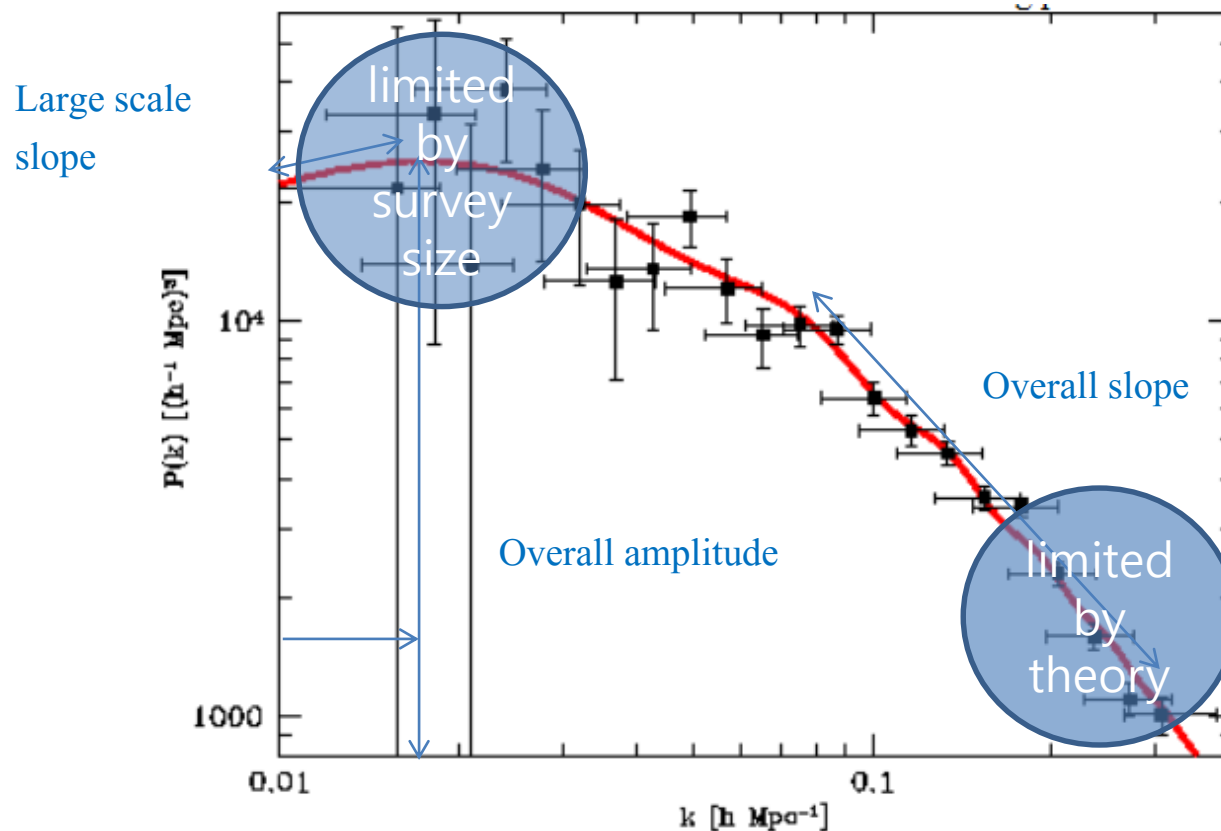
Acoustic scale

:best measurement

Angular scale

Breaking CMB Degeneracy by LSS

- Linear matter power spectrum (**Still about 20% error**)



Peak Location : k_{eq}

Overall amplitude : A_s, ω_m, b

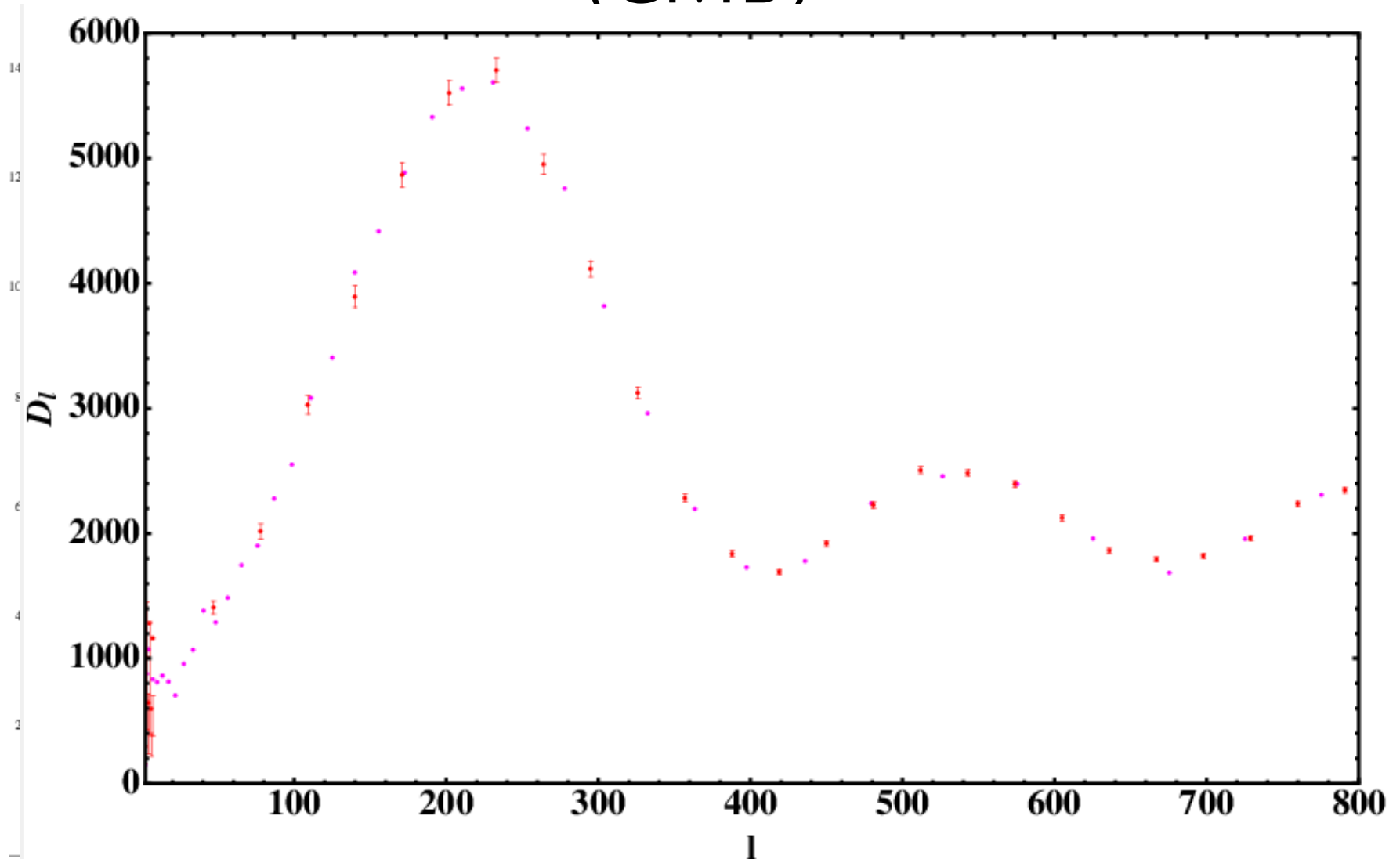
Large Scale Slope : n_s

Small scale slope : ω_b/ω_c

Bias factor b : unknown

Location of turnover

CONSISTENCY OF OBSERVABLE (CMB)

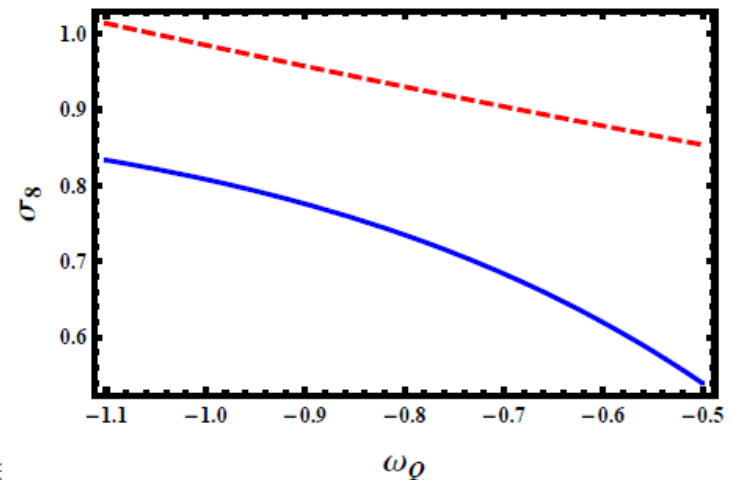


CONSISTENCY OF OBSERVABLE (LSS)

- Matter power spectrum suffers from bias factor $b(z,k)$: we don't understand
- **Transfer function** embedded in the $P(k)$ **compensated by $b(z,k)$** : baryon trace matter
- Cluster number analysis : over simplified (SL, Ng 10)

$$\sigma_8(\Omega_m/0.27)^{0.3} = 0.78 \pm 0.01$$

- Growth function : over simplified (SL, 11)



CMB Degeneracy between N_{eff} and w

- Based on arXiv : 1409.1355, 1410.1260 (SL 14)
- **Situation** : reactor experiments and cosmology claimed the existence of extra light particles
- **Motivations** : How much cosmology can tell about this?
- Cosmic microwave background (CMB) : thermal radiation from big bang. **Acoustic waves** (coupling btw γ & b under gravitational potential well created by DM)
- CMB mean Temperature : $T=2.725$ K
- Fluctuation of CMB T : $\Delta T = 10\text{-}100 \mu\text{K}$
- Gaussian distributed if fluctuation is generated from inflation : average of $\Delta T = 0$ (**variance = power spectrum is not 0**)

DECOMPOSE COSMOLOGICAL PARAMETERS I

Can guess about
Early DE model
Deviation

- Peak location (acoustic scale) : most accurately measured quantities \rightarrow depends on geometry and energy densities

$$\theta_s[z_*, N_{\text{eff}}, w, h] \equiv \frac{r_s[z_*, N_{\text{eff}}, w, h]}{d_A^{(c)}[z_*, N_{\text{eff}}, w, h]}$$

$$r_s(z_*) = \frac{c}{\sqrt{3}H_0} \int_{z_*}^{\infty} \frac{dz}{\sqrt{1 + R[z]E[z]}}, \quad \rightarrow \text{No DE}$$

$$d_A^{(c)}(z_*) = \frac{c}{H_0} \int_0^{z_*} \frac{dz}{E[z]}, \quad \rightarrow \text{DE dependence}$$

$$E[z, N_{\text{eff}}, w, h] = \frac{H}{H_0} = \frac{1}{h} \sqrt{\omega_m (1+z)^3 + \omega_r (1+z)^4 + (h^2 - \omega_m - \omega_r)(1+z)^{3(1-w)}}$$

Degeneracy
btw N_{eff} & w

- Height of the 1st peak : matter/radiation density ratio
- Height of the 2nd peak : baryon/radiation density ratio
- Ratio of odd to even peaks : baryon/photon
- Time of m-r equality : amplitude of all peaks (fix z_{eq})

$$\omega_c[N_{\text{eff}}] = \omega_\gamma (1 + 0.22711 N_{\text{eff}}) (1 + z_{\text{eq}}) - \omega_b$$

DECOMPOSE COSMOLOGICAL PARAMETERS II

- High- l peaks (damping scale) : affected by number of neutrino and helium abundance (can be cross checked

$$\frac{\theta_s[z, N_{\text{eff}}, w, h]}{\theta_d(z_*)[z, N_{\text{eff}}, w, h, Y_P]} = \frac{r_s(z_*)[z, N_{\text{eff}}, w, h]}{r_d(z_*)[z, N_{\text{eff}}, w, h, Y_P]}$$

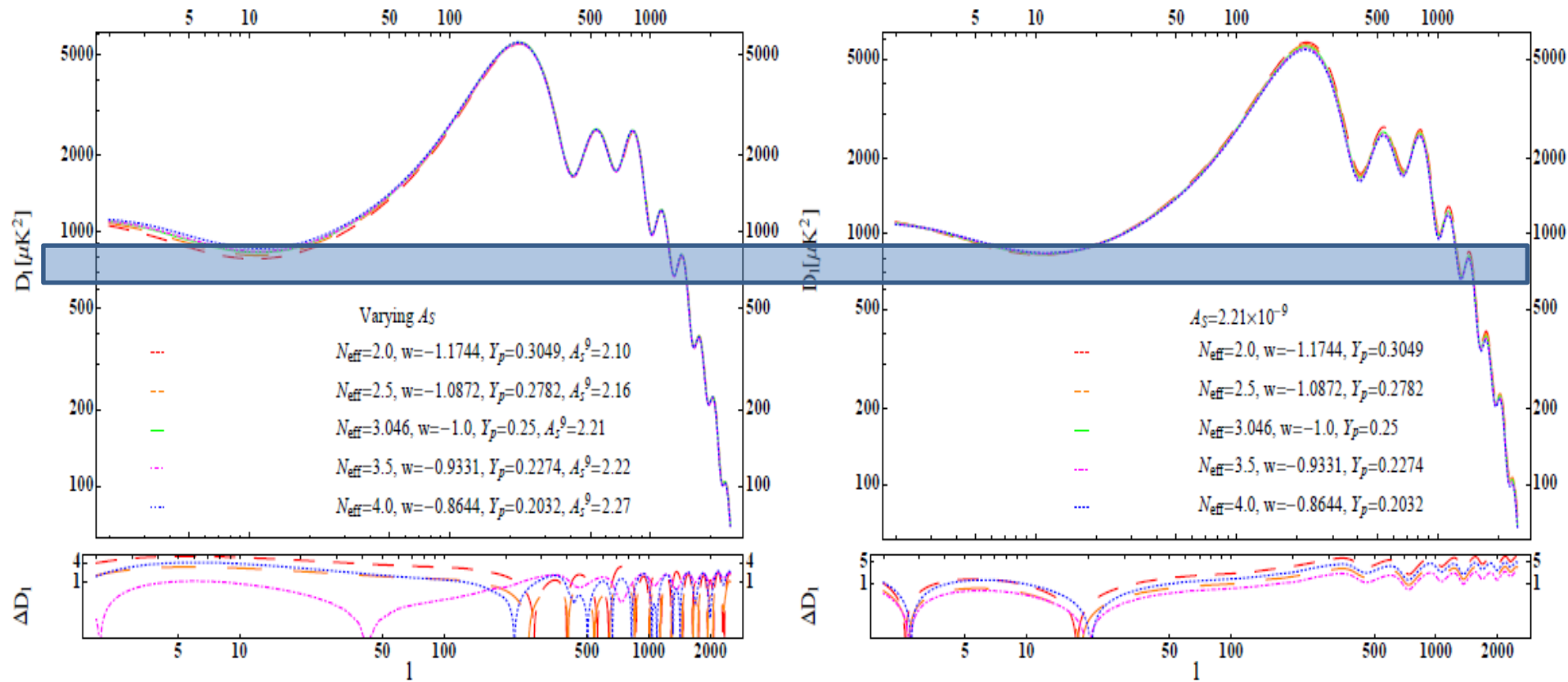
$$\begin{aligned} r_d(z_*) &= \sqrt{\frac{c\pi^2}{H_0} \int_{z_*}^{\infty} \frac{(1+z)dz}{\sigma_T X_e n_b (1-Y_P) E[z]} \left[\frac{R^2 + \frac{16}{15}(1+R)}{6(1+R^2)} \right]} \\ &= \sqrt{\frac{c\pi^2}{H_0} \frac{1}{\sigma_T X_e \omega_b} \frac{1 - 0.007119 Y_P}{(1.12284 \cdot 10^{-5})(1 - Y_P)} \int_{z_*}^{\infty} \frac{dz}{(1+z)^2 E[z]} \left[\frac{R^2 + \frac{16}{15}(1+R)}{6(1+R^2)} \right]} \end{aligned}$$

- Global amplitudes : A_s
- Global Tilt : n_s

Check sensitivities of cosmological Parameters using MC or Fisher Matrix

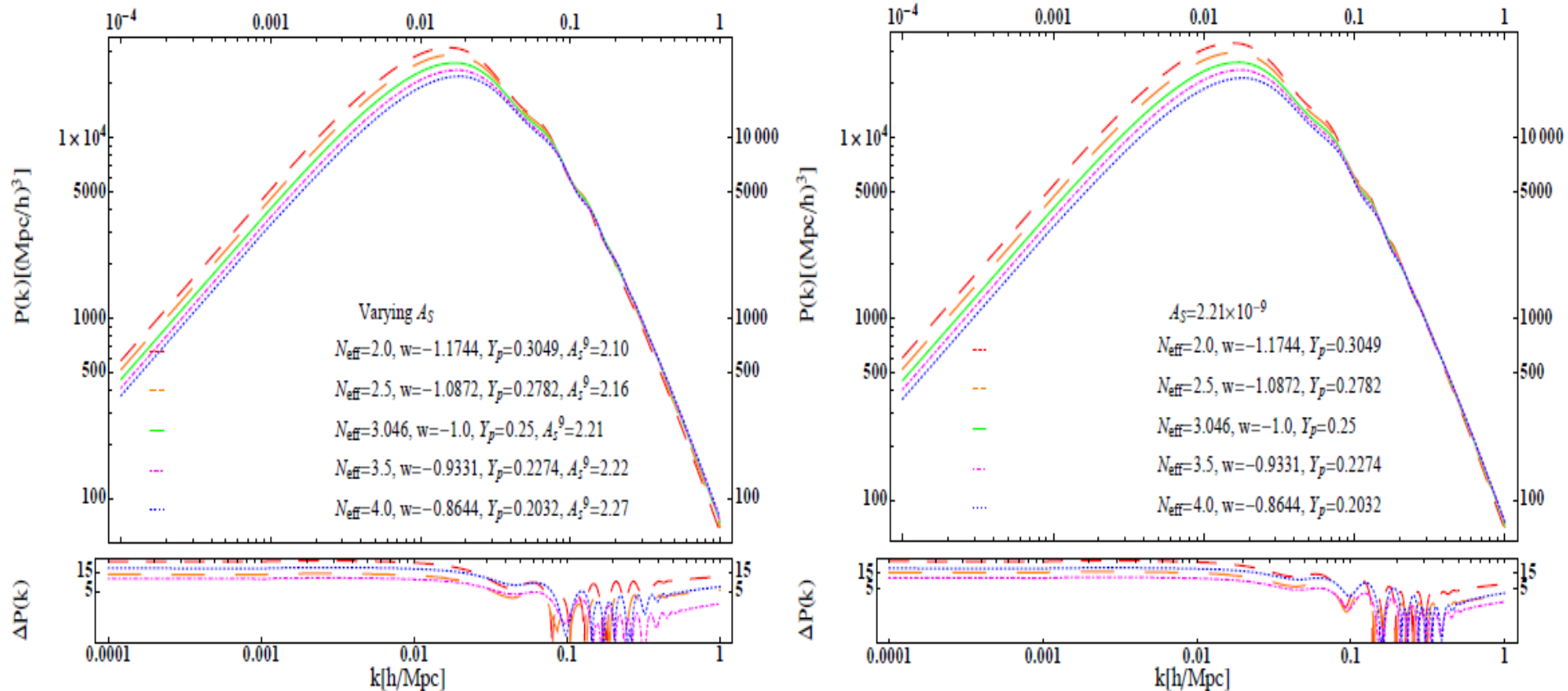
DEGENERATED CMB (N_{eff} , w)

- We need to keep all other cosmological parameters except



LINEAR MATTER POWER SPECTRUM

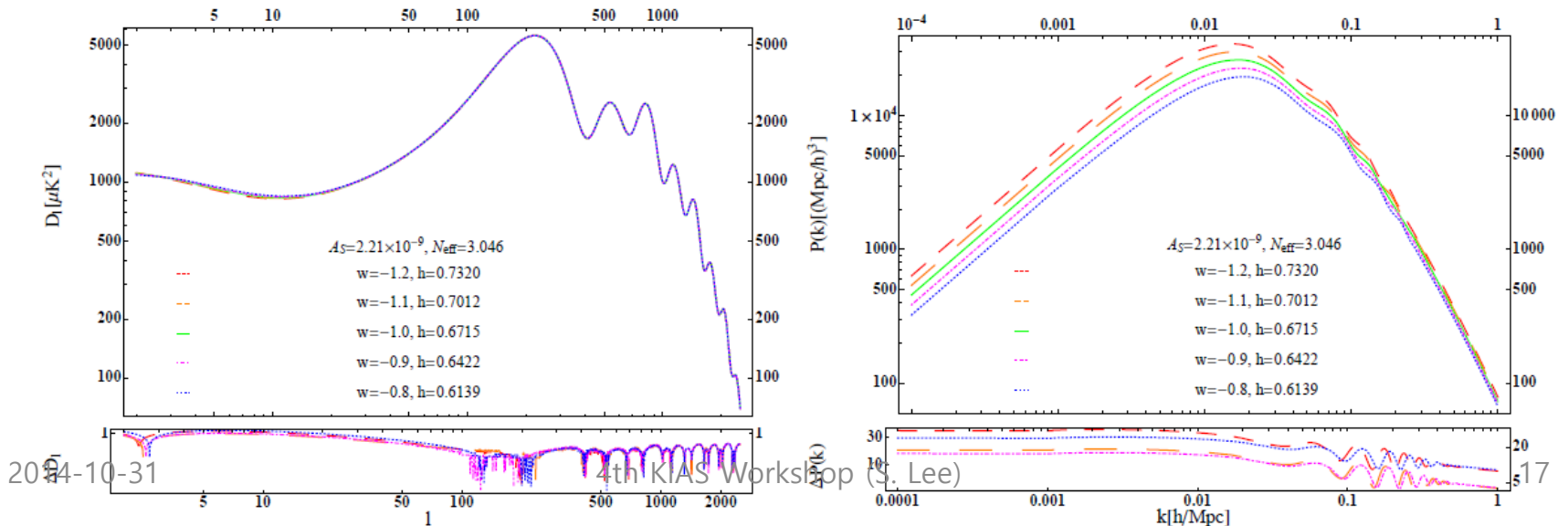
- $k_{\text{eq}} = a_{\text{eq}} H_{\text{eq}} / c$ (effect will be clearer in massive neutrino case : paper)



CMB DEGENERACY (w,h)

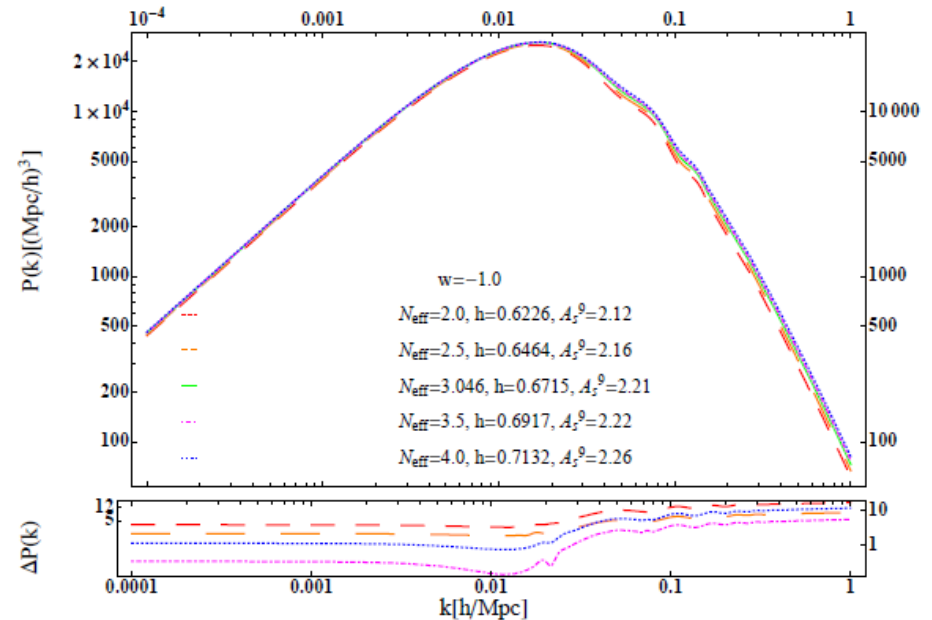
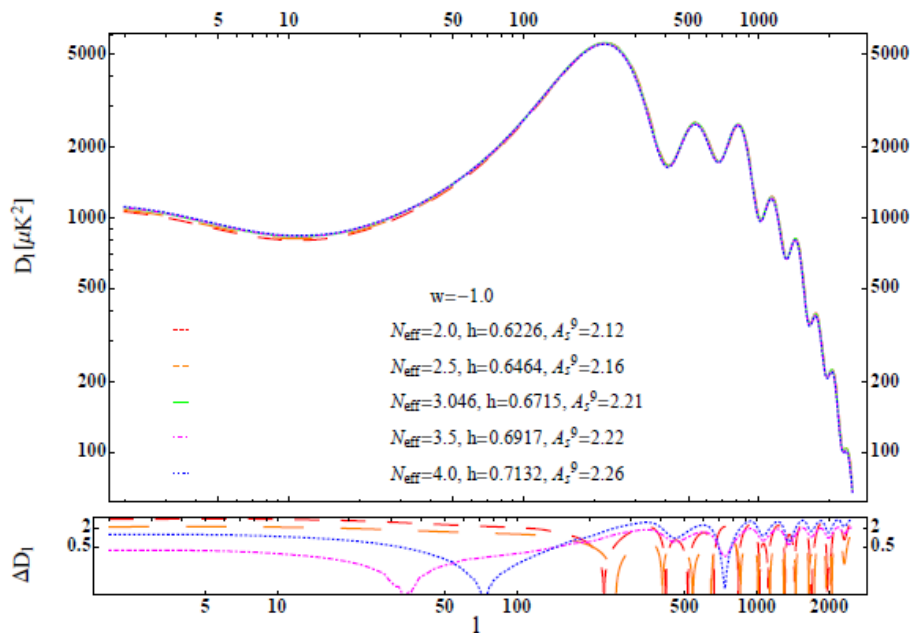
- Fixed $N_{\text{eff}} = 3.046$ & A_s (direct comparison in MPS less powerful : b)

$N_{\text{eff}} = 3.046$					$w = -1.0$						
w	h	σ_8	$f\sigma_8$	$\Delta f\sigma_8$	N_{eff}	h	Y_P	$A_S(10^9)$	σ_8	$f\sigma_8$	$\Delta f\sigma_8$
-0.8	0.6139	0.785	0.455	2.1	2.0	0.6226	0.3049	2.12	0.7909	0.418	-6.4
-0.9	0.6422	0.815	0.451	1.1	2.5	0.6464	0.2782	2.16	0.8174	0.431	-3.3
-1.0	0.6715	0.840	0.446	0	3.046	0.6715	0.25	2.21	0.8452	0.446	0
-1.1	0.7012	0.875	0.442	-1.1	3.5	0.6917	0.2274	2.22	0.8607	0.454	1.8
-1.2	0.7320	0.905	0.437	-2.1	4.0	0.7132	0.2032	2.26	0.8819	0.466	4.3



CMB DEGENERACY (N_{eff} , h)

- Fix $w=-1.0$ (Λ CDM)



SUMMARY

	BBN	CMB			LSS	BAO	SNe	Ly- α
Epoch (z, t)	(10^{10} , 1min)	(1089, 379,000 yrs)				0.06~0.57	0.3 ~ 3	2.2~4.4
Scales (l, k)		$l \leq 800$	$l \leq 2500$	$l > 2500$	$k < 0.15h/\text{Mpc}$	150 Mpc		0.15 h/Mpc
massive ν	Ω_m	height	both	length	height	both	sensitive	sensitive
massless ν	Ω_r	height	both	length	z_{eq}	length	insensitive	insensitive
error sources	systematic in H-II regions	different mask	beam uncertainties	secondary effect	modeling data analysis	statistics modeling	K-correction Standard Candle	hydro simulation
observational accuracy		location of 1st peak						
number of parameters	$\Omega_b h^2, \eta$ Y_P, N_{eff}	$A_s, n_s, \tau, H_0, \omega_m, \omega_b$ $w, \omega_\gamma, N_{eff}, Y_P, m_\nu$			A_s, n_s Ω_m, b, N_{eff}	Ω_m, H_0 N_{eff}	$\omega_m w$	Ω_m, σ_8 H_0, N_{eff}
Flat Universe Prior								

Small scales observable is not determined by gravity only

BREAKING DEGENERACIES ?

- Does Joint analysis (Complimentary Observable) really break the degeneracy? (**Which parts of cow we looking at?**)
- Is there any chance to be biased from one to another observation?
(data analysis is based on model)

A theory probes observations?

An observation probes theories?

Ruiz, Huterer 1410.5832

$w=-1$ (Geometry), $w=-0.8(\delta)$

SL 12 (**Bad Conclusion**)

LSS shows deviation from LCDM

Current LSS data is not accurate enough to judge DE or MG

CONCLUSION

- CMB provides strong constraints on cosmological parameters (**compliment with LSS**)
- However, many parameters are degenerated.
- Previous works, focus on effect of N_{eff} degeneracy with h on CMB (**hard to break** with LSS)
- Dark energy also affects to N_{eff} and it might be **too early to say** about the existence of extra neutrino (dark radiation)
- LSS might help to break CMB degeneracy on parameters
- Need to investigate **more robust observable** to distinguish models